

Macroprudential policy: its foundations and challenges

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Foundations: Empirical

- Macroprudential policy (MPP) aims to weaken credit booms in "good times" so as to reduce frequency & severity of financial crises
- Empirical rationale: Credit booms are infrequent, but end in deep, protracted crises
- Mendoza & Terrones (2012), 1960-2010 data:
 - 1. Credit booms occur with 2.8% frequency
 - 2. 1/3rd end in banking or currency crises.
 - 3. 3 years after credit peaks, GDP is 5% (8%) below trend in adv. (emerg.) economies



Foundations: Theoretical

- Quantitative Macro/Finance MPP models require:
 - 1. A theory that can explain observed features of credit booms/crises
 - 2. A market-failure argument that can justify policy intervention
 - 3. A framework that can be used to design MPP, evaluate its effectiveness & analyze its tradeoffs
- Slow progress in developing quantitative MPP models:
 - 1. Aiming for a powerful toolbox (akin to DSGE models for monetary policy)
 - 2. Few models yield crises fully driven by endogenous financial amplification and nonlinearities (instead of being caused by large, non-standard shocks)



- Fisherian models: borrowing capacity limited to a fraction of market value of collateral
- Fisherian deflation produces strong financial amplification and nonlinearities, and accounts for several stylized facts of financial crises
- Market failure present as pecuniary externalities
- Quantitatively, optimal MPP reduces markedly the magnitude & frequency of crises...but with nontrivial challenges



The challenges

- 1. Nonlinearities & amplification: A general case for global, nonlinear methods to study models of fin. crises and MPP (particularly Fisherian models)
- 2. Complexity & credibility: Optimal MPP follows complex rules and is time-inconsistent under commitment, hence lacks credibility (illustrated using a model w. assets as collateral)
- 3. Coordination failure in financial & monetary policies: Costly inefficiencies due to Tinbergen's rule violations and strategic interaction (illustrated using variant of Christiano, Motto & Rostagno's (2014) BGG model with risk shocks)





liability position







• Fisherian models: occasionally binding collateral constraints with collateral valued at market prices:

$$\frac{b_{t+1}}{R_t} \ge -\kappa_t f(p_t)$$

- 1. Debt-to-income (DTI) models: $f(p_t^N) = y_t^T + p_t^N y_t^N$
- 2. Loan-to-value (LTV) models : $f(q_t) = q_t k_{t+1}$
- Market price of collateral determined by aggregate allocations: $f(p_t^N(C_t^T, C_t^N))$, $f(q_t(C_t, C_{t+1}))$
- Pecuniary externality: Agents choose debt in "good times" ignoring price responses in "crisis times"



Where is the externality?

• Decentralized Euler eq. for bond holdings: $u'(t) = \beta R_t E \left[u'(t+1) \right] + \mu_t$

– In normal times μ_t =0 => standard Euler equation

• But for a planner choosing bonds internalizing the externality, the Euler eq. is:

$$u'(t) = \beta R_t E \left[u'(t+1) + \mu_{t+1}^* \kappa_{t+1} f'(t+1) \frac{\partial p_{t+1}}{\partial \tilde{C}_{t+1}} \frac{\partial \tilde{C}_{t+1}}{\partial b_{t+1}} \right]$$

• If social MC of debt exceeds private MC, private agents "overborrow" in good times



• Higher social MC of debt requires:

$$f'(t+1)(\partial p_{t+1}/\partial \tilde{c}_{t+1})(\partial \tilde{c}_{t+1}/\partial b_{t+1}) > 0$$

- These are trivially positive: borrowing capacity rises with collateral values and consumption rises with wealth
- But the sign of this is a key endogenous equilibrium outcome, which can be proven to be positive:

$$\begin{array}{ll} \textit{DTI setup:} & \textit{LTV setup:} \\ \frac{\partial p_{t+1}^N}{\partial C_{t+1}^T} = \frac{-p_{t+1}^N u_{c^T c^T}(t+1)}{u_{c^T}(t+1)} > 0 & \qquad \frac{\partial q_{t+1}}{\partial C_{t+1}} = \frac{-q_{t+1} u_{cc}(t+1)}{u_c \ (t+1)} > 0 \end{array}$$

• A large externality is implied if the model is able to generate large price drops during crises!



Optimal MPP

• An optimal macroprudential debt tax decentralizes the planner's allocations:

$$\tau_t = \frac{E_t \left[\mu_{t+1}^* \kappa_{t+1} f'(t+1) \frac{\partial p_{t+1}}{\partial \tilde{C}_{t+1}} \frac{\partial \tilde{C}_{t+1}}{\partial b_{t+1}} \right]}{E_t \left[u'(t+1) \right]}$$

 $-\tau_t > 0$ only if the constraint is expected to bind with some probability at t+1.

• Equivalent instruments: capital requirements, regulatory LTV or DTI ratios.



- Model from Bianchi & Mendoza (JPE 2017):
 - 1. RBC-SOE model with Fisherian constraint
 - 2. Production w. intermediate goods that require working capital (credit-induced output drop)
 - 3. Rep. firm-household uses assets in fixed supply as collateral for debt and working capital
 - 4. Planner internalizes asset pricing condition (asset Euler eq. becomes implementability constraint)
 - 5. Shocks: TFP (z_t) , world interest rate (R_t) , and regime-switching LTV or global liquidity (κ_t) .
 - 6. Calibrated to U.S. and OECD data



$$\max E_0 \left[\beta^t \frac{\left(c_t - \chi \frac{h^{1+\omega}}{1+\omega} \right)^{1-\sigma}}{1-\sigma} \right]$$

s.t.

$$\begin{split} q_t k_{t+1} + c_t + \frac{b_{t+1}}{R_t} &= q_t k_t + b_t + \left[z_t k_t^{\alpha k} m_t^{\alpha m} h_t^{\alpha h} - p^m m_t \right] \\ & \frac{b_{t+1}}{R_t} - \theta p^m m_t \geq -\kappa_t q_t k_t, \end{split}$$



$$V(b,\varepsilon) = \max_{c,b',h,m} \left[\frac{\left(c - \chi \frac{h^{1+\omega}}{1+\omega}\right)^{1-\sigma}}{1-\sigma} + \beta E \left[V(b',\varepsilon')\right] \right]$$

s.t.

$$c + \frac{b'}{R} = b + \left[z 1^{\alpha k} m^{\alpha m} h^{\alpha h} - p^m m \right]$$

$$\frac{b'}{R} - \theta p^m m \ge -\kappa q$$

$$qu_c \left(c - \chi \frac{h^{1+\omega}}{1+\omega} \right) = \beta E \left[u_c \left(\widehat{c} - \chi \frac{\widehat{h}^{1+\omega}}{1+\omega} \right) \left(z' F_k(1,\widehat{m}',\widehat{h}) + \widehat{q}' \right) + \kappa (\widehat{\mu},\widehat{q}') \right]$$



- When μ_t >0, the planner views the effects of the choice of b_{t+1} on C_{t+1}, and hence on q_t, differently depending on its ability to commit
- Commitment: Promise lower C_{t+1}, to prop up q_t, because q_t(C_t, C_{t+1}) is decreasing in C_{t+1}, but at t+1 this is suboptimal=> time inconsistency
- Discretion: The planner of date t considers how its choices affect choices of the planner of t+1
 Markov stationarity eq. is time-consistent



1. Macroprudential component (tackles standard pecuniary externality when $\mu_t=0$ and $E_t[\mu_{t+1}] > 0$):

$$\tau_t^{MP} = \frac{E_t \left[-\kappa_{t+1} \mu_{t+1}^* \frac{u_{cc}(t+1)}{u_c(t+1)} Q_{t+1} \right]}{E_t \left[u_c(t+1) \right]}$$

2. Ex-post component (effects on future planners & incentive to prop up value of collateral when $\mu_t > 0$)

$$\tau_t^{FP} = \frac{E_t \left[\frac{\kappa_t \mu_t^*}{u_c(t)} \Omega_{t+1} \right]}{E_t \left[u_c(t+1) \right]} + \frac{\kappa_t \mu_t^* \frac{u_{cc}(t)}{u_c(t)} q_t}{\beta R_t E_t \left[u_c(t+1) \right]}$$

Financial crises & policy effectiveness





Complexity



Optimal (TC) policy & simpler rules

| | Decentralized | Optimal | Best | Best |
|-----------------------------|---------------|---------|-----------------------|-------|
| | Equilibrium | Policy | Taylor | Fixed |
| Welfare Gains $(\%)$ | _ | 0.30 | 0.09 | 0.03 |
| Crisis Probability (%) | 4.0 | 0.02 | 2.2 | 3.6 |
| Drop in Asset Prices $(\%)$ | -43.7 | -5.4 | -36.3 | -41.3 |
| Equity Premium $(\%)$ | 4.8 | 0.77 | 3.9 | 4.3 |
| Tax Statistics | | | | |
| Mean | _ | 3.6 | 1.0 | 0.6 |
| Std relative to GDP | _ | 0.5 | 0.2 | |
| Correlation with Leverage | _ | 0.7 | 0.3 | |

Financial Taylor Rule: $\tau = \max[0, \tau_0(b_{t+1}/\bar{b})^{\eta_b} - 1]$



Simple rules: constant taxes







Decentralized Equilibrium = = = Optimal Tax · = · = · Simple Rule ······· Fixed Tax



3. Coordination failure

- Carrillo et al. (16) model:
 - 1. DSGE-BGG model with risk shocks (Christiano et al. (14))
 - 2. Calvo pricing=>inefficiencies in goods markets
 - 3. Costly monitoring=>inefficiencies in credit-capital market
 - 4. MP (FP) instrument affects target and payoff of FP (MP)
- Monetary policy follows simple Taylor rule:

$$(1+i_t) = (1+i) \left(\frac{1+\pi_t}{1+\overline{\pi}}\right)^{a_{\pi}}$$

• Financial policy rule adjusts a tax on opp. cost of lending depending on credit spread dev. from target:

$$\tau_{f,t} = \tau_f \left[E_t \left(\frac{r_{t+1}^k}{R_t} \right) \middle/ \left(\frac{r^k}{R} \right) \right]^{a_r}$$





Aggregate supply & demand





• Augmented Taylor rule regime:

$$(1+i_t) = (1+i) \left(\frac{1+\pi_t}{1+\pi}\right)^{\hat{a}_{\pi}} \left[E_t \left(\frac{r_{t+1}^k}{R_t}\right) \middle/ \left(\frac{r^k}{R}\right) \right]^{-\hat{a}_r}$$

- Dual rule regime is significantly superior
 - Welfare is 34 percent higher
 - Policies are too tight with augmented rule v. dual rules

$$(a_{\pi} = 1.2, a_r = 1.6)$$
 v. $(\hat{a}_{\pi} = 1.25, \hat{a}_r = 0.26)$

- Risk shocks cause larger declines in output and investment with augmented rule (30 and 155 basis points larger)
- ...but augmented rule dominates standard Taylor rule

Strategic interaction



- Reaction curves choosing elasticities to minimize sum-ofvariance payoffs
- Welfare under Coop. is 6 ppts. higher than under Nash
- Policies under Coop, Nash are too tight relative to "first best"



Welfare costs and elasticities under various policy regimes

| Pagima a u ragima a | % diff. | Param. values of regime x | | |
|--|-------------------|-----------------------------|----------|------------------|
| Regime x v . Tegime y | in ce | a_{π} | a_{rr} | \check{a}_{rr} |
| Violations of | Tinbergen's | rule | | |
| (payoff | is welfare) | | | |
| Dual rules v. First best | 0%. | 1.22 | 1.56 | - |
| Augmented Taylor rule v. Dual rules | 14.7% | 1.25 | - | 0.26 |
| Standard Taylor rule v. Dual rules | 34.5% | 1.45 | - | - |
| Standard Taylor rule v. Augmented Taylor rule | 17.3% | 1.45 | - | - |
| Costs of stra | tegic interac | ction | | |
| (payoffs are quadratic loss fi | unctions, exc | ept for the first | t best) | |
| Nash v. First best | 7.3% | 1.87 | 1.47 | - |
| Cooperative with equal weights v. First best | 1.3% | 1.37 | 1.25 | - |
| Cooperative with optimal weights v. First best | $\frac{3}{100}\%$ | 1.22 | 1.45 | - |
| Standard Taylor rule v. Nash | 25.3% | 1.45 | - | - |



Conclusions

- Good news: Progress in developing quantitative models of fin. crises and MPP, with results showing that it can be a very effective policy
- Bad news: Optimal MPP faces serious hurdles (complexity, credibility, coordination). Careful quantitative evaluation is necessary to avoid outcomes worse than without MPP.
- Other important hurdles: fin. innovation, information, heterogeneity, int'l coordination, securitization, interconnectedness