### DISCUSSION OF

# Temporary Layoffs, Loss-of-Recall, and Cyclical Unemployment Dynamics by Mark Gertler, Christopher Huckfeldt, and Antonella Trigari

Fabien Postel-Vinay

UCL and IFS

September 2022

# THE IMPORTANCE OF TEMPORARY LAYOFFS (TL)

**Conventional view:** TL are not important because the stock of workers on TL is only a small fraction of total unemployment.

**Conventional view:** TL are not important because the stock of workers on TL is only a small fraction of total unemployment.

**Recent literature:** Flows between TL and employment are important and cyclical. Hence, TL are important to understand unemployment dynamics.

# THE IMPORTANCE OF TEMPORARY LAYOFFS (TL)

**Conventional view:** TL are not important because the stock of workers on TL is only a small fraction of total unemployment.

**Recent literature:** Flows between TL and employment are important and cyclical. Hence, TL are important to understand unemployment dynamics. **Covid-19 literature:** Even the stock of workers on TL has become large in April 2020. **Conventional view:** TL are not important because the stock of workers on TL is only a small fraction of total unemployment.

**Recent literature:** Flows between TL and employment are important and cyclical. Hence, TL are important to understand unemployment dynamics.

Covid-19 literature: Even the stock of workers on TL has become large in April 2020.

**This paper:** Highlights the role of large, cyclical flows between TL and 'Jobless Unemployment' (JL).

**Conventional view:** TL are not important because the stock of workers on TL is only a small fraction of total unemployment.

**Recent literature:** Flows between TL and employment are important and cyclical. Hence, TL are important to understand unemployment dynamics.

Covid-19 literature: Even the stock of workers on TL has become large in April 2020.

**This paper:** Highlights the role of large, cyclical flows between TL and 'Jobless Unemployment' (JL).

• Special emphasis on the TL $\rightarrow$ JL flow, termed loss of recall.

		to				
from	Е	ΤL	JL	I.		
E	0.955	0.005	0.011	0.029		
TL	0.435	0.245	0.191	0.129		
JL	0.244	0.022	0.475	0.259		
I.	0.043	0.001	0.027	0.929		

	to					
from	Е	ΤL	JL	I.		
E	0.955	0.005	0.011	0.029		
TL	0.435	0.245	0.191	0.129		
JL	0.244	0.022	0.475	0.259		
I	0.043	0.001	0.027	0.929		

 $TL{\rightarrow}E$  transition rate much larger than  $JL{\rightarrow}E$  transition rate.

	to					
from	Е	ΤL	JL	I.		
E	0.955	0.005	0.011	0.029		
TL	0.435	0.245	0.191	0.129		
JL	0.244	0.022	0.475	0.259		
I.	0.043	0.001	0.027	0.929		

 $TL{\rightarrow}E$  transition rate much larger than  $JL{\rightarrow}E$  transition rate.

 $\mathsf{TL}{\rightarrow}\mathsf{JL}$  rate is large (and cyclical).

	to						
from	Е	ΤL	JL	I			
E	0.955	0.005	0.011	0.029			
TL	0.435	0.245	0.191	0.129			
JL	0.244	0.022	0.475	0.259			
I.	0.043	0.001	0.027	0.929			

 $TL{\rightarrow}E$  transition rate much larger than  $JL{\rightarrow}E$  transition rate.

 $TL \rightarrow JL$  rate is large (and cyclical).

But the JL $\rightarrow$ TL flow (in level) is of similar order of magnitude.

The JL stock is about 6.75 times the TL stock.  $6.75 \times 0.022 = 0.1485$ , not far from 0.191.

	to						
from	Е	ΤL	JL	I.			
E	0.955	0.005	0.011	0.029			
TL	0.435	0.245	0.191	0.129			
JL	0.244	0.022	0.475	0.259			
I	0.043	0.001	0.027	0.929			

 $TL{\rightarrow}E$  transition rate much larger than  $JL{\rightarrow}E$  transition rate.

 $TL \rightarrow JL$  rate is large (and cyclical).

But the JL $\rightarrow$ TL flow (in level) is of similar order of magnitude.

The JL stock is about 6.75 times the TL stock.  $6.75 \times 0.022 = 0.1485$ , not far from 0.191.

What does a JL $\rightarrow$ TL transition mean? More generally, what do TL, TL $\rightarrow$ E, TL $\rightarrow$ JL, etc. measure?

### Measurement

The authors interpret TL $\rightarrow$ JL transitions as loss of recall:

"If a transition from TL to JL represents a true loss of recall, we would expect the reemployment probability of such workers to be similar to the unconditional re-employment probability of workers in jobless unemployment. Otherwise, we would expect the reemployment probabilities of workers moving from TL to JL to remain high."

The authors interpret TL $\rightarrow$ JL transitions as loss of recall:

"If a transition from TL to JL represents a true loss of recall, we would expect the reemployment probability of such workers to be similar to the unconditional re-employment probability of workers in jobless unemployment. Otherwise, we would expect the reemployment probabilities of workers moving from TL to JL to remain high."

A competing explanation is **duration dependence** in the unemployment hazard (either genuine or apparent, caused by heterogeneity).

If there is duration dependence, and if the "TL" label is correlated with short durations, then we would expect to see the patterns highlighted by the authors.

### The labor market is in steady state.

My Silly Model has nothing to say about cyclicality.

#### The labor market is in steady state.

My Silly Model has nothing to say about cyclicality.

#### Workers can either be employed or unemployed.

Just like the authors, I condition out Inactivity for simplicity.

#### The labor market is in steady state.

My Silly Model has nothing to say about cyclicality.

#### Workers can either be employed or unemployed.

Just like the authors, I condition out Inactivity for simplicity.

When employed: they all face the same i.i.d. job loss risk (exogenous prob. s).

#### The labor market is in steady state.

My Silly Model has nothing to say about cyclicality.

#### Workers can either be employed or unemployed.

Just like the authors, I condition out Inactivity for simplicity.

When employed: they all face the same i.i.d. job loss risk (exogenous prob. s).

#### When unemployed:

Each worker *i* has an individual-specific job finding probability *f<sub>i</sub>*. Specifically, *f<sub>i</sub>* = 1 for a fraction α of workers and *f<sub>i</sub>* = <u>*f*</u> < 1 for the remaining 1 − α.</li>

#### The labor market is in steady state.

My Silly Model has nothing to say about cyclicality.

#### Workers can either be employed or unemployed.

Just like the authors, I condition out Inactivity for simplicity.

When employed: they all face the same i.i.d. job loss risk (exogenous prob. s).

#### When unemployed:

- Each worker *i* has an individual-specific job finding probability *f<sub>i</sub>*. Specifically, *f<sub>i</sub>* = 1 for a fraction α of workers and *f<sub>i</sub>* = <u>*f*</u> < 1 for the remaining 1 − α.</li>
- Each worker gets assigned a type t<sub>i</sub> ∈ {TL, JL}, which changes stochastically over time following some stochastic process which is independent of f<sub>i</sub>.
  In that sense, TL or JL is just a meaningly label affixed to unemployed workers.

I calibrate this model (50,000 workers, 35 years) to match transition matrices:

	E		т	TL		J	L
	data	sim	data	sim		data	sim
Е	0.984	0.988	0.005	0.011	(	0.011	0.000
ΤL	0.481	0.480	0.312	0.312	(	0.207	0.207
JL	0.303	0.319	0.028	0.023	(	0.670	0.658
				Е	ΤL	JL	
JL, previously in TL (data)			ΓL (data)	0.328	0	0.67	2
	JL, previously in TL (sim)			0.311	0	0.68	9

I calibrate this model (50,000 workers, 35 years) to match transition matrices:

	E		Т	TL		JL	
	data	sim	data	sim		data	sim
Е	0.984	0.988	0.005	0.011	C	0.011	0.000
ΤL	0.481	0.480	0.312	0.312	C	0.207	0.207
JL	0.303	0.319	0.028	0.023	C	0.670	0.658
				Е	ΤL	JL	
JL, previously in TL (data)			0.328	0	0.67	2	
JL, previously in TL (sim)			0.311	0	0.68	9	

I calibrate this model (50,000 workers, 35 years) to match transition matrices:

	E		т	TL		JL		
	data	sim	data	sim		data	sim	-
Е	0.984	0.988	0.005	0.011	0	0.011	0.000	-
ΤL	0.481	0.480	0.312	0.312	(	0.207	0.207	
JL	0.303	0.319	0.028	0.023	(	0.670	0.658	
				Е	ΤL	JL		
JL, previously in TL (data)			0.328	0	0.67	2		
JL, previously in TL (sim)			0.311	0	0.68	9		

I calibrate this model (50,000 workers, 35 years) to match transition matrices:

	E		Т	TL		JL	
	data	sim	data	sim		data	sim
Е	0.984	0.988	0.005	0.011		0.011	0.000
ΤL	0.481	0.480	0.312	0.312		0.207	0.207
JL	0.303	0.319	0.028	0.023		0.670	0.658
				Е	Т	L JL	
JL, previously in TL (data)			0.328	0	0.67	72	
JL, previously in TL (sim)			0.311	0	0.68	39	

#### Mechanism:

- It takes at least one month for workers to make a  $\mathsf{TL}{\rightarrow}\mathsf{JL}$  transition.
- Thus, all " $f_i = 1$ " workers are selected out of the "JL, previously in TL" sample.

#### How much of that is going on in the data?

# THE GHT MODEL

Builds upon the GT model (Gertler and Trigari, *JPE* 2009), a sophisticated DSGE-*cum*-DMP matching friction model featuring:

- Worker-level, transitory idiosyncratic cost shocks (causing TL);
- Job- (firm-)level idiosyncratic cost shocks (causing permanent job destruction);
- Real wage inertia (staggered contracts), capital, capacity utilization...

# THE GHT MODEL

Builds upon the GT model (Gertler and Trigari, *JPE* 2009), a sophisticated DSGE-*cum*-DMP matching friction model featuring:

- Worker-level, transitory idiosyncratic cost shocks (causing TL);
- Job- (firm-)level idiosyncratic cost shocks (causing permanent job destruction);
- Real wage inertia (staggered contracts), capital, capacity utilization...

Has only one aggregate shock (to TFP, at least outside of pandemic times), and yet does a good job mimicking 35 years of aggregate data on labor market stocks and flows.

# THE GHT MODEL: INTERPRETATION

Authors describe TL's as "destabilizing":

"We place particular emphasis on the following destabilizing effect of TL's, namely that a sizeable fraction of workers who initially exit employment for TL are not recalled."

### THE GHT MODEL: INTERPRETATION

Authors describe TL's as "destabilizing":

"We place particular emphasis on the following destabilizing effect of TL's, namely that a sizeable fraction of workers who initially exit employment for TL are not recalled."

But in the model, TL's are **a good thing**: the possibility of TL's allows savings on matching / recruitment costs.

Incidentally, this model would probably say that UK-style "zero-hour contracts" are also a good thing.

### THE GHT MODEL: INTERPRETATION

Authors describe TL's as "destabilizing":

"We place particular emphasis on the following destabilizing effect of TL's, namely that a sizeable fraction of workers who initially exit employment for TL are not recalled."

But in the model, TL's are **a good thing**: the possibility of TL's allows savings on matching / recruitment costs.

Incidentally, this model would probably say that UK-style "zero-hour contracts" are also a good thing.

What policy conclusions can be drawn? Do private job destruction / job creation / separations into TL decisions differ from the Planner's?

# PANDEMIC AND PPP

With a little help from extra shocks, the model does an impressive job of capturing aggregate labor market dynamics during the pandemic.

# PANDEMIC AND PPP

With a little help from extra shocks, the model does an impressive job of capturing aggregate labor market dynamics during the pandemic.

One of the authors' messages is that PPP was "successful in fulfilling its intended purpose of encouraging firms to rehire workers on TL".

# PANDEMIC AND PPP

With a little help from extra shocks, the model does an impressive job of capturing aggregate labor market dynamics during the pandemic.

One of the authors' messages is that PPP was "successful in fulfilling its intended purpose of encouraging firms to rehire workers on TL".

But the way PPP is modeled looks like a free lunch given to the economy. Essentially, a positive productivity shock partially offsetting the pandemic shocks.

As such, it is not entirely surprising that it was "successful".

THANK YOU!